

# **1 Theoretical basis**

## ***1.1 Calculation methods of the liquefaction hazard.***

### **1.1.1 Empirical methods.**

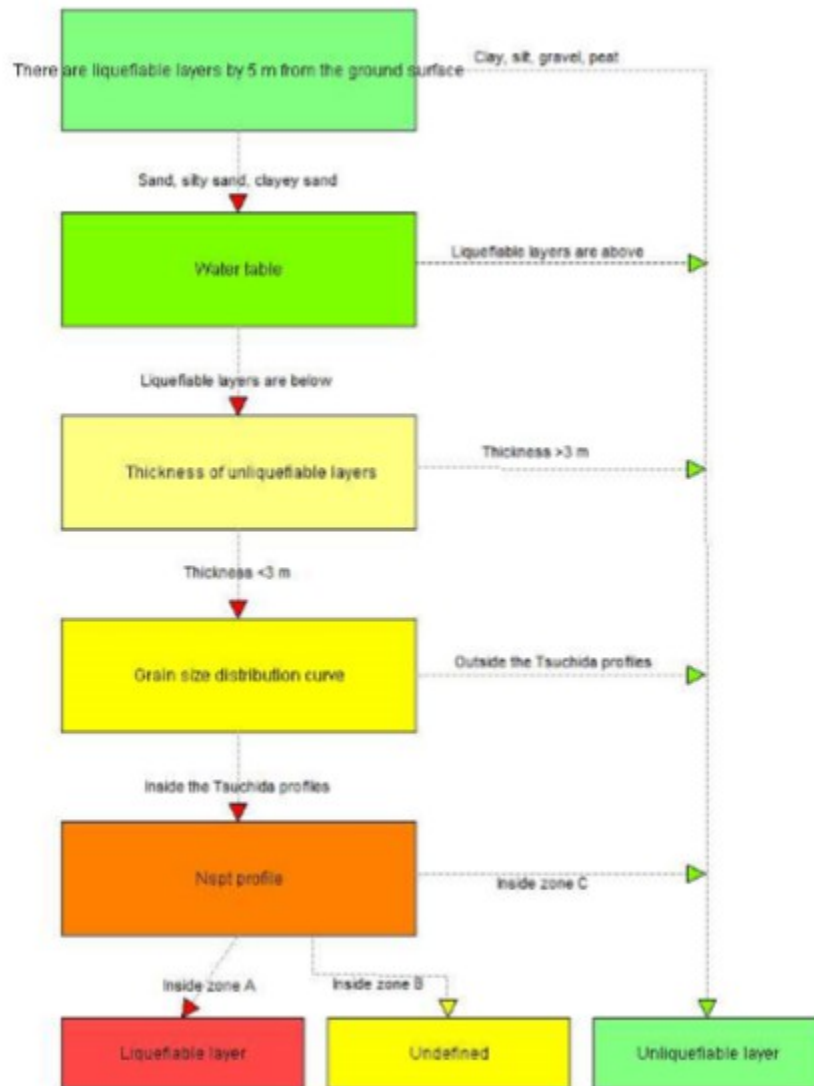
Empirical methods are generally used to get a rough estimate of the liquefaction hazard in saturated sandy layers, taking into account only the geological-geotechnical characteristics of the investigated site. They're simplified methods to use in case of surveys of seismic microzonation.

#### **1.1.1.1 Sherif & Ishibashi (1978).**

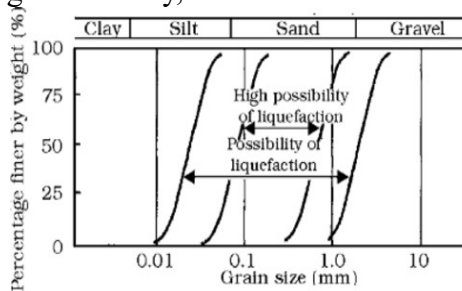
The Sherif & Ishibashi method is based on the premise that the soil layers have the following requirements:

- they are made up by sand or silty sand;
- they're below the level of the water table;
- the non-liquefiable layers, on the top, have a total thickness lower than 3 meters.

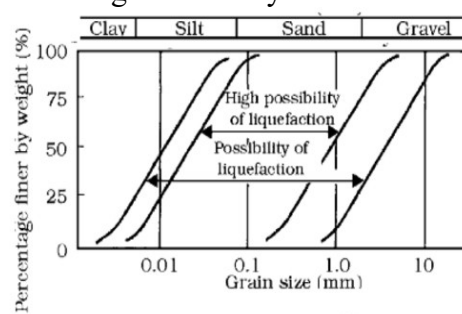
according to the following flow diagram:



If these requirements are present, it goes on in the procedure, taking into account the granulometry and the relative density of the soil layer. The method requires that a granulometric analysis be executed, taking a sample of the soil layer. The resulting curves has to be compared with the two critical profiles (Tsuchida, 1970), the first one related to a uniform granulometry, the second one to a non-uniform granulometry.

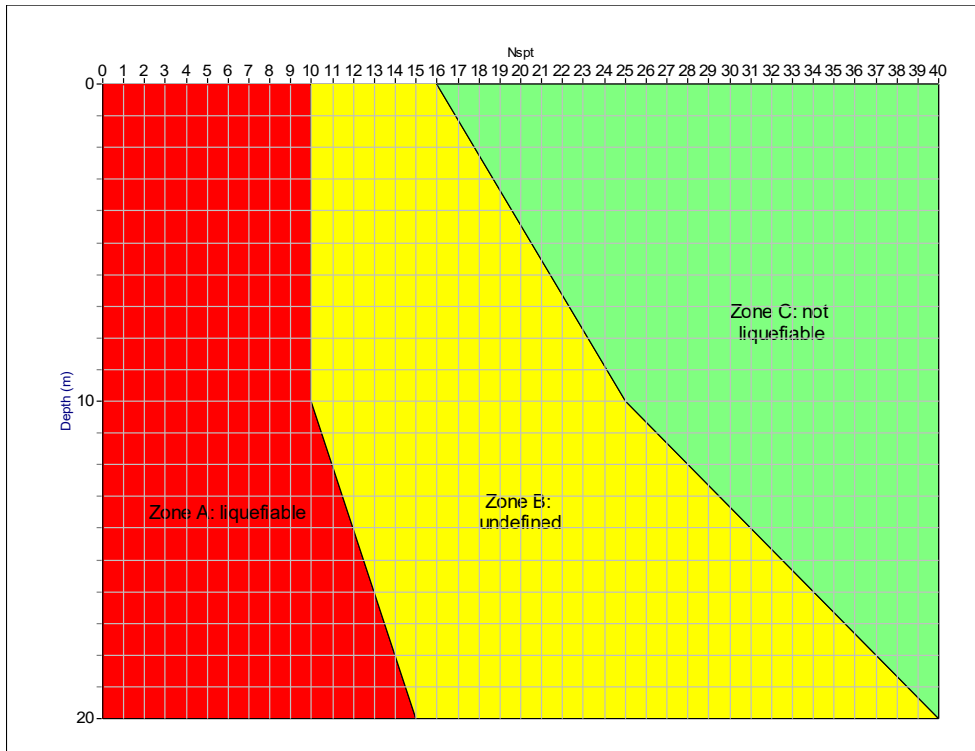


(a)



(b)

Checked that the granulometric curve of the soil layer falls within the critical limits, it's possible to proceed, taking into account the relative density of the soil layer through SPT or DP tests. If the number of blows, even if partially, falls inside the A zone, the layer is liquefiable. If it falls inside the C zone is unliquefiable. The hazard is undefined in case of profile within the B zone.

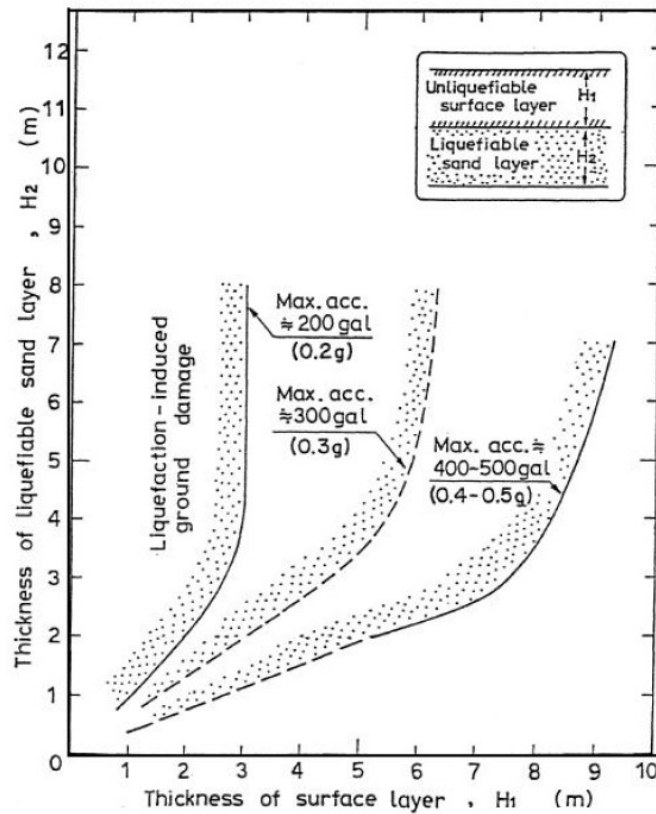


### 1.1.1.2 Ishihara (1985).

It's an empirical method based on a graphic.

The required data are the thickness of the unliquefiable layers ( $H_1$ ), the thickness of the liquefiable layers below ( $H_2$ ) and the peak ground acceleration (PGA). According the Author, saturated sandy layers with  $N_{spt} < 10$  are to be considered liquefiable.

The Ishihara procedure gives, in a purely qualitative manner, the magnitude of the ground deformations and consequently the damage level in case of liquefaction.



Ishihara diagram

### 1.1.1.3 Methods based on the seismic magnitude.

They're empirical formulas which associate the epicentral distance from the investigated site to the critical seismic magnitude, that is the moment magnitude beyond which liquefaction events could become possible in saturated sandy layers. This magnitude must be compared with the moment magnitude of the seismic event used as reference (M).

□ Ambraseys(1991)

$$M_c = -0.31 + 2.65 \times 10^{-8} \times dist \times 100000 + 0.99 \log_{10}(dist \times 100000)$$

- *Papadopoulos and Lefkopulos(1993)*

$$Mc = -0.44 + 3.00 \times 10^{-8} \times dist \times 100000 + 0.90 \text{Log}_{10}(dist \times 100000)$$

- *Galli (2000)*

$$Mc = 0.67[1.0 + 3.0 \times \text{Log}_{10}(dist)] + 2.07$$

where *dist* is the epicentral distance in km.

Thus, if the ratio M/Mc is higher than 1, liquefaction phenomenons become possible.

#### 1.1.1.4 Method based on the Arias Intensity.

The Arias Intensity (1970) represents an index proportional to the energy released by the seismic event. Practically it's the integral of the square of the seismic acceleration extended to all the duration T of the accelerogram:

$$Ia = \frac{\pi}{2g} \int_0^T a^2(t) dt$$

*The significant duration* of the earthquake is defined as the time interval between 5% and 95% of the Arias intensity.

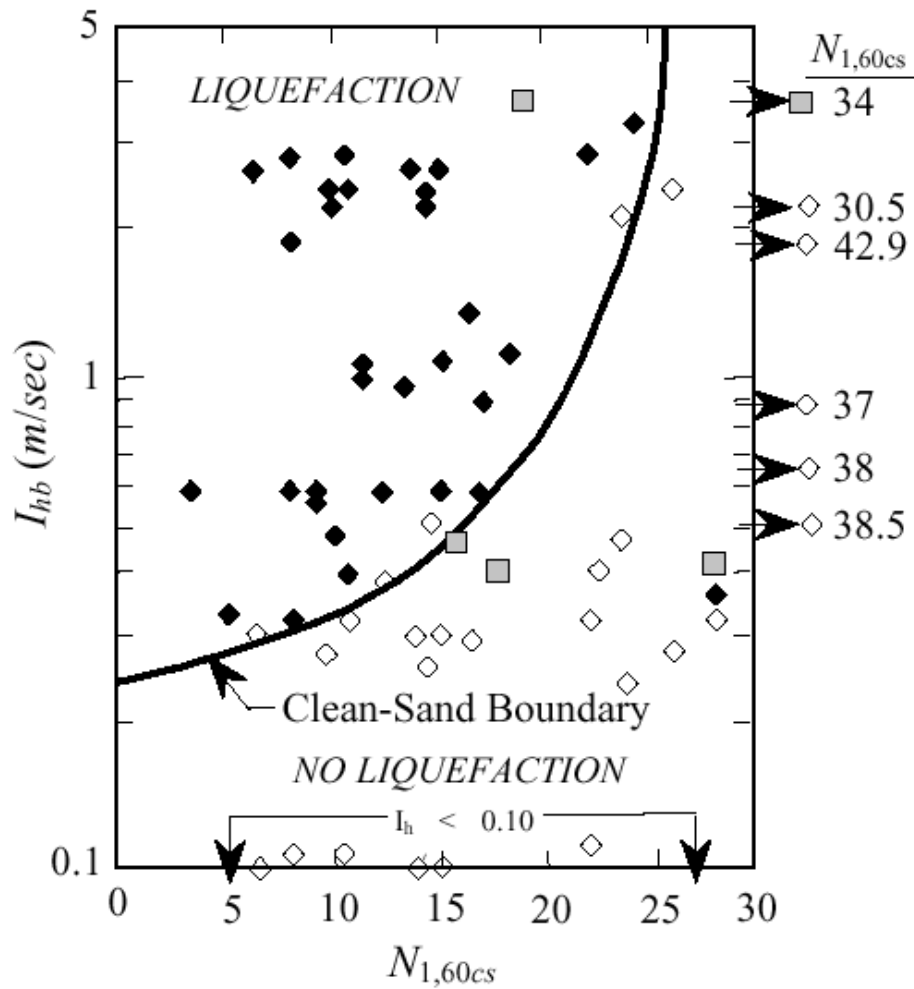
The variability of Ia as a function of the depth *h* can be gotten through the empirical formula of Kayen e Mitchell (1997):

$$Ia(h) = Ia \times r_b$$

$$r_b = \exp \left[ \frac{35}{M_w^2} \text{sen}(-0.09h) \right]$$

where  $M_w$  is the moment magnitude of the earthquake of reference.

The Arias Intensity can be correlated to the liquefaction risk through the following scheme:



where  $N_{1,60cs}$  represents the number of blows SPT normalized in case of clean sand. The  $N_{1,60cs}$  parameter is given, applying a correction to  $N_{spt}$ , chosen between the formulas proposed by several Authors. The clean-sand boundary of the graph can be correlated to the CRR parameter through the following formula:

$$I_{hb_{lim}} = 0.00255(100 \times CRR)^2$$

### 1.1.2 Simplified methods.

Simplified methods allow to quantify the liquefaction risk through a safety factor given by the ratio between the shear resistance of the soil layer (CRR) and the shear stress produced by the earthquake (CSR):

$$F_s = \frac{CRR}{CSR}.$$

A soil layer can be classified as a liquefiable level if the safety factor is lower than 1 (1.25 according the Eurocode 8). The CSR variable depend on the parameters of the earthquake of reference (PGA and moment magnitude).

CRR is as function of the geotechnical characteristics of the soil layer, mainly by its relative density, and can be directly given through correlations with penetrometer tests (SPT and CPT) and geophysical surveys, the latter to get a S waves profile.

#### 1.1.2.1 Evaluation of shear stress generated by an earthquake (CSR).

The CSR parameter is given by the following relation:

$$T = 0.65 \frac{a_{\max}}{g} \frac{\sigma_{v0}}{\sigma_{v0}'} r_d \frac{1}{MSF};$$

where:

$a_{\max}$	= peak ground acceleration;
$g$	= acceleration of gravity = 980.7 cm/s <sup>2</sup> ;
$\sigma_{v0}$	= vertical total pressure at the depth z from the ground;
$\sigma_{v0}'$	= vertical effective pressure at the depth z from the ground;
$r_d$	= variable as a function of the depth from the ground;
$MSF$	= corrective coefficient as a function of the seismic magnitude.



The variable  $rd$  can be calculated through several empirical correlations, known in literature.

□ *Seed (1971)*

$$rd = 1 - 0.01h_{media} \quad h_{media} \text{ (mean depth of the layer)} < 10\text{m}$$

$$rd = 1.15 - 0.025h_{media} \quad h_{media} \geq 10\text{m}$$

□ *Liao & Whitman (1986)*

$$rd = 1 - 0.00765h_{media} \quad h_{media} \leq 9.15\text{m}$$

$$rd = 1.174 - 0.0267h_{media} \quad 9.15 < h_{media} \leq 23\text{m}$$

$$rd = 0.774 - 0.008h_{media} \quad 23 < h_{media} \leq 30\text{m}$$

$$rd = 0.5 \quad h_{media} > 30\text{m}$$

□ *Blake (1996)*

$$rd = \frac{\alpha}{\beta}$$

$$\alpha = 1.0 - 0.4113\sqrt{h_{media}} + 0.04052h_{media} + 0.001753h_{media}^{1.5}$$

$$\beta = 1.0 - 0.4177\sqrt{h_{media}} + 0.05729h_{media} - 0.00620h_{media}^{1.5} + 0.001210h_{media}^2$$

□ *Boulanger & Idriss (2014)*

$$rd = \exp(\alpha + \beta)$$

$$\alpha = -1.012 - 1.126\text{sen}\left(\frac{h_{media}}{11.73} + 5.133\right)$$

$$\beta = M_w \left[ 0.106 + 0.118\text{sen}\left(\frac{h_{media}}{11.28}\right) + 5.142 \right]$$

where  $M_w$  is the moment magnitude.

The corrective coefficient MSF can be computed, in case of SPT and CPT, through the expressions by Boulanger & Idriss (2014):

$$MSF = 1 + (MSF_{max} - 1) \left( 8.64 \exp\left(\frac{-M}{4}\right) - 1.325 \right)$$

where:

$$MSF_{max} = 1.09 + \left( \frac{q_{C1Ncs}}{180} \right)^3 \leq 2.2$$

$$MSF_{max} = 1.09 + \left( \frac{(N_1)_{60cs}}{31.5} \right)^2 \leq 2.2$$

In case of empirical methods based on the shear wave velocity, the formula by Idriss (1999) can be used:

$$MSF = 6.9 \cdot \exp\left(\frac{-M}{4}\right) - 0.058 \leq 1.8$$

As an alternative, it may use the method by Idriss (1995):

$$MSF = \left( \frac{M}{7.5} \right)^{-3.3}$$

$M \leq 7.5$

$$MSF = \frac{10^{2.24}}{M^{2.56}}$$

$M > 7.5$ .

### 1.1.2.2 Evaluation of the shear strength of the soil (CRR).

#### 1.1.2.2.1 By dynamic penetration tests (SPT) – Tokimatsu & Yoshimi (1983).

According to the Tokimatsu & Yoshimi method, CRR is given by the following formula:

$$CRR = 0.26 \left[ 0.16\sqrt{Na} + (0.21\sqrt{Na})^{14} \right]$$

where:

$$Na = N_{spt} \left( \frac{1.7}{\sigma_v + 0.7} \right) + N_1$$

$\sigma_v$ (kg/cmq) = vertical effective pressure;

$N_1$  = 0 when percentage of fines is  $p_c < 5\%$ ,  $10 p_c + 4$  when  $p_c \geq 5\%$

#### 1.1.2.2.2 By dynamic penetration tests (SPT) – Seed et al. (1985).

CRR is calculated by the following relation:

$$CRR = \frac{a + cx + ex^2 + gx^3}{1 + bx + dx^2 + fx^3 + hx^4}$$

where:

$x = N_{1,60cs}$  number of blows SPT in case of a 60% energy efficiency, corrected to take into account the fine component (silt and clay).

$a = 0.048$ ;

$b = -0.1248$ ;

$c = -0.004721$ ;

$d = 0.009578$ ;

$e = 0.0006136$ ;

$f = -0.0003285$ ;

$g = -0.00001673$ ;

$h = 0.000003714$ .

$N_{1,60cs}$  can be calculated by the following formula:

$$N_{1,60cs} = f_a + f_b (C_E C_N C_b C_r C_s N_{spt})$$

where:

- $C_N$  = correction factor as a function of the depth of the measurement =  $\sqrt{\frac{1}{\sigma_v}}$  ( $\sigma_v$  in kg/cmq); if  $C_N > 1.7$  put  $C_N = 1.7$ ;
- $C_E$  = correction factor as a function of the energy efficiency= ER/60 with ER% is the efficiency of the used probe;
- $C_b$  = correction factor as a function of the borehole diameter;  
these the recommended values:  
from 65 to 115 mm  $C_b=1.0$   
from 115 to 150 mm  $C_b=1.05$   
from 150 to 200 mm  $C_b=1.15$
- $C_r$  = correction factor as a function of the rod length;  
these the recommended values:  
from 3 to 4 m  $C_r=0.75$   
from 4 to 6 m  $C_r=0.85$   
from 6 to 10 m  $C_r=0.95$   
from 10 to 30 m  $C_r=1.0$   
>30 m  $C_r>1.0$
- $C_s$  = correction factor as a function of type of sampler;  
these the recommended values:  
standard  $C_s=1.0$   
without liners  $C_s$  da 1.1 a 1.3
- $f_a$  = 0 when the percentage of fines (FC) $\leq 5\%$ ;  
=  $\exp\left(1.76 - \frac{190}{FC^2}\right)$  when  $5 < FC < 35\%$ ;  
=5 when  $FC \geq 35\%$ ;
- $f_b$  = 1 for  $FC \leq 5\%$ ;  
=  $0.99 + \frac{FC^{1.5}}{1000}$  for  $5 < FC < 35\%$ ;  
=1.2 for  $FC \geq 35\%$ .

### 1.1.2.2.3 By dynamic penetration tests (SPT)– Youd et al.(2001)

CRR is given by the following relation:

$$CRR = \frac{1}{34 - N_{1,60cs}} + \frac{N_{1,60cs}}{135} + \frac{50}{\sqrt{10N_{1,60cs} + 45}} - \frac{1}{200}$$

### 1.1.2.2.4 By dynamic penetration tests (SPT) – Boulanger & Idriss(2014)

CRR is estimated through the following formula:

$$CRR = \exp \left[ \frac{N_{1,60cs}}{14.1} + \sqrt{\frac{N_{1,60cs}}{126}} - \left( \frac{N_{1,60cs}}{23.6} \right)^3 + \left( \frac{N_{1,60cs}}{25.4} \right)^4 - 2.8 \right]$$

$N_{1,60cs}$  is given by this relation:

$$N_{1,60cs} = N_{1,60} + \exp \left( 1.63 + \frac{9.7}{FC} - \sqrt{\frac{15.7}{FC}} \right)$$

where FC is the percentage of fines and  $N_{1,60}$  is the normalized Nspt value. Its expression is the following:

$$N_{1,60} = N_{spt} \times C_N \times C_E \times C_R \times C_S \times C_B$$

The variables  $C_E$ ,  $C_R$ ,  $C_S$  e  $C_B$  have the same expressions seen in the case of the Seed & Al.'s method. The parameter  $C_N$  can be estimated in a iterative way, proceeding according this scheme:

1. A initial value of  $N_{1,60}$  is calculated, assuming  $C_N = \sqrt{\frac{98.1}{\sigma'}}$ , where  $\sigma'$ (kPa)= vertical effective pressure;
2.  $C_N$  is then recalculated using the following expression:  $C_N = \left( \frac{98.1}{\sigma'} \right)^\alpha$   
where  $\alpha = 0.784 - 0.0768\sqrt{N_{1,60}}$
3.  $N_{1,60}$  is estimated again through the new value of  $C_N$ ;

4. Steps 2 and 3 are repeated till when the difference between the values of  $C_N$  calculated in two consecutive cycles is lower than a chosen limit. If  $C_N$  is higher than 1.7, put  $C_N=1.7$ .

#### 1.1.2.2.5 By static penetration tests (CPT) – Robertson & Wride (1997).

Robertson & Wride's method permits to correlate the soil shear resistance to the data of a static penetration test (CPT). The procedure of calculation is based on the two following equations:

$$CRR = 0.883 \left[ \frac{(q_{c1n})_{cs}}{1000} \right] + 0.05 \quad (q_{c1n})_{cs} < 50 \text{ and}$$

$$CRR = 93 \left[ \frac{(q_{c1n})_{cs}}{1000} \right]^3 + 0.08 \quad 50 \leq (q_{c1n})_{cs} < 160.$$

The variable  $(q_{c1n})_{cs}$  represents the normalized point resistance, corrected to take into account the percentage of fines.

The calculation of  $(q_{c1n})_{cs}$  is performed through the following steps.

- The normalized cone resistance and friction ratio are evaluated through the following relations:

$$Q = \frac{q_c - \sigma_{v0}}{\sigma_{v0}'} \quad e \quad F = 100 \frac{f_s}{q_c - \sigma_{v0}}$$

where:

- $q_c$  (kg/cm<sup>2</sup>) = measured cone resistance;
- $f_s$  (kg/cm<sup>2</sup>) = measured sleeve friction;
- $\sigma_{v0}$  (kg/cm<sup>2</sup>) = vertical total pressure;
- $\sigma_{v0}'$  (kg/cm<sup>2</sup>) = vertical effective pressure.

- The soil behavior type index of the sandy layer is calculated:

$$I_c = \sqrt{(\log_{10} F + 1.22)^2 + (\log_{10} Q - 3.47)^2}$$

- The correction to take into account the depth of the test is estimated:

$$q_{c1n} = C_Q q_c \text{ dove } C_Q = \left( \frac{1}{\sigma_{v0}'} \right)^n$$

The exponent  $n$  is evaluated in the following way:

- if  $I_c > 2.6$  then  $n=1$ ;
- if  $I_c \leq 2.6$  an initial value of  $q_{c1n}$ , is calculated, using  $n=0.5$ ; then  $I_c$  is recalculated through this relation:

$$I_c = \sqrt{(\text{Log}_{10} F + 1.22)^2 + (\text{Log}_{10} q_{c1n} - 3.47)^2}$$

if the new  $I_c$  value is lower than 2.6 again, a value  $n=0.5$  is used, otherwise  $q_{c1n}$  is recalculated, using  $n=0.75$ ;

- if  $q_{c1n} > 2q_c$  put  $q_{c1n} = 2q_c$ .

Finally the correction as a function of fines in the sandy layer is evaluated:

$$(q_{c1n})_{cs} = K_c q_{c1n},$$

where  $K_c$  is 1, if  $I_c \leq 1.64$ , otherwise it's given by the following relation:

$$K_c = -0.403I_c^4 + 5.581I_c^3 - 21.63I_c^2 + 33.75I_c - 17.88$$

#### 1.1.2.2.6 By static penetration tests (CPT) – Boulanger & Idriss(2014)

CRR is given by the following expression:

$$\text{CRR} = \exp \left[ \frac{q_{c1Ncs}}{113} + \left( \frac{q_{c1Ncs}}{1000} \right)^2 - \left( \frac{q_{c1Ncs}}{140} \right)^3 + \left( \frac{q_{c1Ncs}}{137} \right)^4 - 2.80 \right]$$

The variable  $q_{c1n}$  has to be estimated through an iterative way, proceeding according the following scheme:

1. An initial value of  $q_{c1n}$ , is calculated, imposing  $q_{c1n} = \frac{qc}{98.1}$ ;

2. The corrective factor  $C_Q$  is evaluated through the following relation:

$$C_Q = \left( \frac{98.1}{\sigma'} \right)^\alpha \quad \text{where } \sigma' (\text{kPa}) = \text{vertical effective pressure and}$$

$$\alpha = 1.338 - 0.294 \times qc_{1n}^{0.264}$$

3.  $qc_{1n}$  is recalculated by the expression  $qc_{1n} = C_Q \frac{qc}{98.1}$

4. Steps 2 and 3 are repeated till when the difference between the values of  $C_Q$  calculated in two consecutive cycles is lower than a chosen limit. If  $C_Q$  is higher than 1.7, put  $C_Q=1.7$ .

The parameter  $qc_{1ncs}$  is given by  $qc_{1n}$ , inserting a correction to take into account the percentage of fines inside the sandy layer.

$$q_{c1Ncs} = q_{c1N} + \Delta q_{c1N}$$

where:

$$\Delta q_{c1N} = \left( 11.9 + \frac{q_{c1N}}{14.6} \right) \exp \left( 1.63 - \frac{9.7}{FC + 2} - \left( \frac{15.7}{FC + 2} \right)^2 \right)$$

and:

$$FC = 80 I_c - 137$$

#### 1.1.2.2.7 By Vs profiles – Andrus & Stokoe(1997).

The liquefaction resistance of a soil layer can be evaluated through empirical methods as a function of the S wave velocity. The Andrus & Stokoe's method is based on the following expression:

$$R = 0.03 \left( \frac{V_{s1}}{100} \right)^2 + \frac{0.9}{V_{slc} - V_{s1}} - \frac{0.9}{V_{s1}}$$

where:



$V_{s1}(\text{m/s}) = \text{corrected S wave velocity} = V_s \left( \frac{1}{\sigma_{v0}'} \right)^{0.25}$ , where  $V_s$  is the measured velocity and  $\sigma_{v0}'$  (kg/cmq) is the vertical effective pressure in the midpoint of the layer;

$V_{s1c}(\text{m/s}) = \text{critical value of the S wave velocity in the layer, given by the following scheme:}$

$V_{s1c}(\text{m/s})=220$  if the percentage of fines(FC)<5%;  
 $V_{s1c}(\text{m/s})=210$  if FC=20%;  
 $V_{s1c}(\text{m/s})=200$  if FC>35%;  
 interpolating in case of intermediate values of FC.

#### 1.2.2.2.8 By Vs profile – Boulanger & Idriss(2004)

The relation is the following:

$$R = 0.022 \left( \frac{V_{s1}}{100} \right)^2 + \frac{2.8}{V_{s1c} - V_{s1}} - \frac{2.8}{V_{s1}}$$

where:

$V_{s1}(\text{m/s}) = \text{corrected S wave velocity in the sandy layer} = V_s \left( \frac{1}{\sigma_{v0}'} \right)^{0.25}$ ,

where  $V_s$  is the measured velocity and  $\sigma_{v0}'$  (kg/cmq) is the vertical effective pressure in the midpoint of the layer;

$V_{s1c}(\text{m/s}) = \text{critical value of the S wave velocity in the layer, given by the following scheme:}$

$V_{s1c}(\text{m/s})=215$  if the percentage of fines (FC)<5%;  
 $V_{s1c}(\text{m/s})=215-0.5x(\text{FC}-5)$  if 5<FC<35%;  
 $V_{s1c}(\text{m/s})=200$  if FC≥35%;

#### 1.1.2.3 Evaluating CRR in case of external loads and/or slope of the ground surface.

The calculation methods of CRR seen in the previous paragraphs are valid in case of absence of external loads (free-field condition) and where the

ground surface is horizontal. If these conditions aren't satisfied, it's possible to evaluate CRR using the following relation:

$$CRR = CRR_0 K_\sigma K_\alpha$$

where:

$CRR_0$  = CRR calculated in case of free-field condition and horizontal ground surface

$K_\sigma$  = corrective factor for external loads or high values of the effective pressure;

$K_\alpha$  = corrective factor for slope ground surface (shear stress > 0 in static condition).

The variable  $K_\sigma$  is a reducing coefficient suggested because of the measured decrease of CRR in presence of high values of  $\sigma_{v0}'$ . This effect is substantial in case of  $\sigma_{v0}'$  values higher than 200 kPa. Without external loads (*free field* condition) these values of  $\sigma_{v0}'$ , in saturated layers, are reached at depth higher than 15 m.

$K_\sigma$  can be estimated through the following empirical formula (Boulanger & Idriss, 2004):

$$K_\sigma = 1 - C_\sigma \ln\left(\frac{\sigma_{v0}'}{p_a}\right)$$

where:

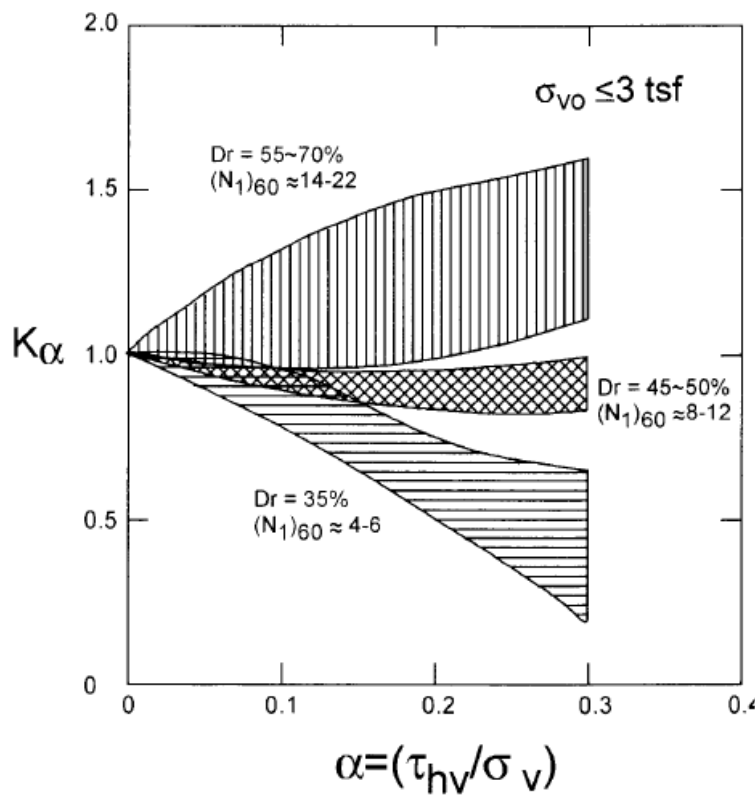
$$C_\sigma = \frac{1}{18.9 - 2.55\sqrt{(N_1)_{60}}} \leq 0,3 \text{ by SPT};$$

$$C_\sigma = \frac{1}{37.3 - 8.27(q_{c1N})^{0.264}} \leq 0,3 \text{ by CPT};$$

$$C_\sigma = \frac{1}{18.9 - 3.1(V_{s1}/100)^{1.976}} \leq 0,3 \text{ by Vs profile.}$$

The corrective factor  $K_\alpha$  quantifies the effect of a static shear stress inside the soil before the seismic event. A rough value of  $K_\alpha$  can be gotten by the following chart, as a function of the relative density ( $D_r$ ). The parameter  $\alpha$  is given by the ratio between the static shear stress and the vertical effective pressure.

The applicability of  $K_\alpha$  is restricted at cases where  $\sigma_{v0}$  is lower or equal than about 300 kPa. Beyond this limit the effect of the effective pressure cancels the one due to the static shear stress. In these cases only  $K_\sigma$  has to be applied.



#### 1.1.2.4 Calculation of the liquefaction potential index.

An estimate of the liquefaction hazard along a specific vertical of calculation is given by the parameter Index of Liquefaction (IL). Such an index is estimable through the following relation:

$$IL = \sum_{i=1}^n FW(z) \Delta z$$

where:

$n$  = calculation steps of SF along the vertical;

$F = 0$  if  $F_s \geq F_s$  of reference;

$F = 2000000e^{-18.427F_s}$  if  $F_s$  of reference  $> F_s \geq 0.95$

$F = 1 - F_s$  if  $F_s < 0.95$

$\Delta z$  = thickness of the calculation step;

$W(z) = 10 - 0,5z$ , where  $z$  = depth of calculation (maximum value=20 m).

Based on the calculated IL value it's possible gets a measure of the liquefaction hazard through the following table:

IL	Rischio di liquefazione
IL=0	Very low
$0 < IL \leq 2$	Low
$2 < IL \leq 5$	Moderate
$5 < IL \leq 15$	High
$15 < IL$	Very high

## **1.2 Improvement techniques of the liquefiable soils.**

In the following paragraphs the elements for a rough sizing of two common improvement techniques are introduced:

- vertical drains;
- dynamic methods (compaction and heavy tamping).

### **1.3.1 Vertical drains.**

Vertical drains are columns of gravel driven inside the liquefiable layers, in order to improve the dissipation of the pore pressure during the seismic events. A rough sizing can be executed, by trial, starting from a specific value of the diameter of the drain (usually larger than 0.8 m). The calculation of the spacing is based on the hypothesis that the drainage of the interstitial water can be permitted only along the radial (horizontal)

direction and that the relative density of the soil layer doesn't change. An estimate of the drain spacing can be performed, using the Kjellmann's simplified formula (1995):

$$(2) t = \frac{d_e}{8c_{vh}} \left[ \ln \left( \frac{d_e}{d} \right) - \frac{3}{4} \right] \ln \frac{1}{1-U_h}$$

where:

$d_e$ (m) = diameter of the cylinder of drained soil ;  
 $d$ (m) = drain diameter;  
 $c_{vh}$ (m<sup>2</sup>/s) = horizontal coefficient of consolidation of the drained soil, given by

$$c_{vh} = \frac{k_h E_d}{\gamma_w}$$

where  $k_h$  is the horizontal coefficient of permeability.  
 $U_h$  = design value of the degree of dissipation of the pore pressure.

Practically, chosen a dissipation time  $t$  according to a specific value of  $U_h$  (for example 0.92), the parameter  $c_{vh}$  is calculated and then, by trial, also  $d_e$  and  $d$  are estimated. Calculated  $d_e$ , the spacing  $S$  of the drains is gotten by the following relations:

$$S(m) = d_e / 1.05 \text{ (triangular pattern)}$$

$$S(m) = d_e / 1.128 \text{ (square pattern)}$$

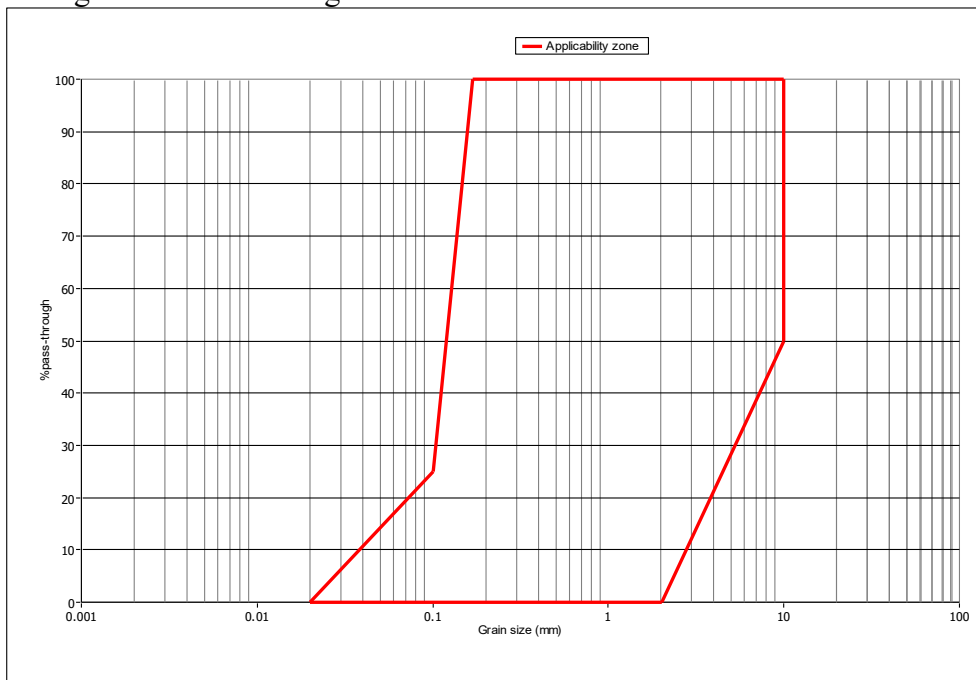
### 1.2.2 Compaction techniques.

Dynamic methods have the purpose to improve the relative density of the liquefiable layers by means of vibrations generated through specific devices. The most common methods are vibrocompaction and heavy tamping.

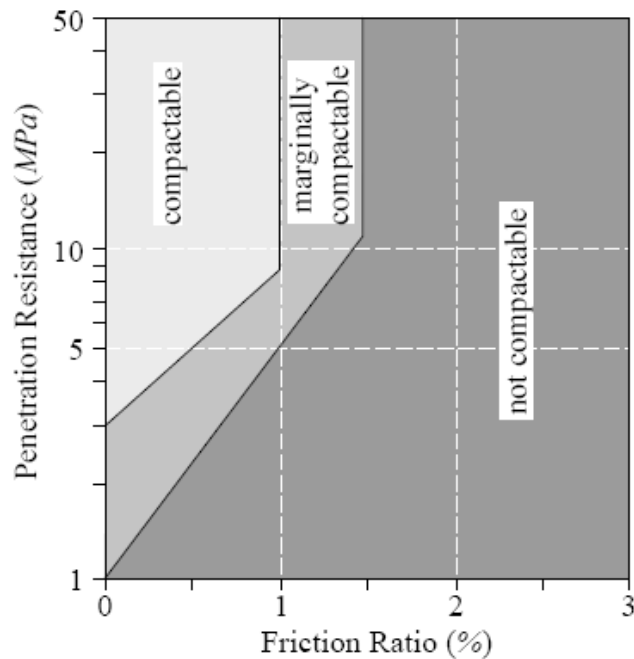
#### 1.2.2.1 Applicability of the dynamic methods.

The effectiveness of the compaction methods mainly depends by the granulometry of the liquefiable layer. In case of layers having a high

percentage of fines, the dynamic methods are scarcely useful. Thorburn (1975) suggested a reference scheme to evaluate the applicability of the compaction methods. Only the soil layers, whose granulometric curves completely fall inside the suggested applicability ranges, are improvable through these methodologies.



Alternatively, it can use the scheme proposed by Massarsch and Heppel (1991), where the effectiveness of the compaction methods is correlated to the soil strength measured through CPT tests.



Generally these procedures are useful in case of sandy soils having a percentage of silt and clay lower than 20%.

### 1.2.2.3 Heavy tamping

The purpose of this method is to improve the relative density of the liquefiable soil layers through the vibrations generated by the impact of a mass, falling repeatedly on the ground surface. Concrete blocks of several tons of weight are usually used, with a drop height up to 20-30 m.

The procedure normally involves 2-3 blows per m<sup>2</sup>. Considering the difficulty to envisage the effectiveness of the methodology, it suggests to do a check after, through, for example, CPT tests in order to estimate the reached degree of density.

The effective depth reached by the intervention can be roughly evaluated through the following formula:

$$D = n\sqrt{WH}$$

where

H (m) = drop height of the mass;

P (t) = weight of the mass;

n= coefficient varying from 0.65 to 0.80

D(m) = maximum depth of improvement.

This methodology is useful in case of sandy soils having a percentage of silt and clay lower than 10%.